

# Automatic Signal Detection

Lectures in Infectious-Disease Epidemiology

Robert Koch Institute

21 January 2019

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## **1. Motivation**

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- 1.2. Filter, quantify, disentangle
- 1.3. Use cases, setting

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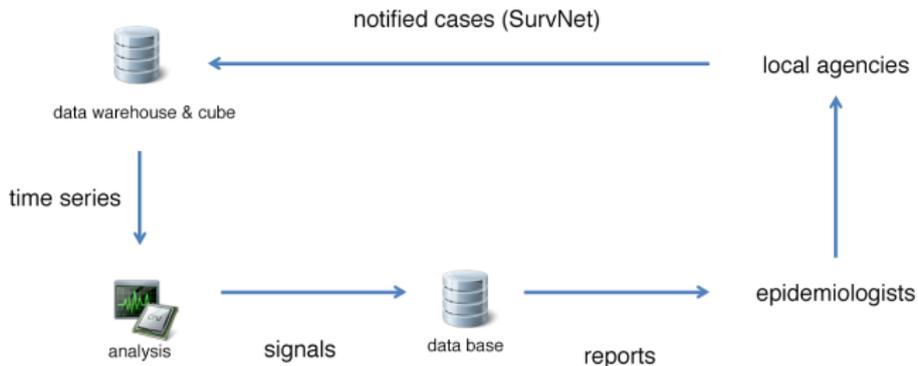
## **5. Conclusion and Outlook**

- 5.1. Routine but not standard
- 5.2. Methodological priorities
- 5.3. Usability

# 1. Motivation

## 1.1. Signal detection for infectious epidemiology

find anomalies in surveillance data that may suggest an outbreak  
(mostly syndromic data outside Germany)



## 1.2. Filter, quantify, disentangle

Why automatic/algorithmic detection?

**Filter** the many combinations of “what, who, where”... Which ones are interesting?  
~ food-borne diseases

**Quantify** the anomaly: Remove human bias; communicate homogeneously and reliably  
~ seasonal diseases

**Disentangle** the contributing factors: Remove artefacts, find determinants  
~ vector-borne diseases

Always "just" an indication for further action/investigation!

## 1.3. Use cases, setting

Think: salmonella, influenza, dengue, borreliosis, MRSA... not so much HIV or TB

Either *retrospective* or *prospective*

What is an outbreak? “Noticeably many infection cases”

Data: weekly aggregated cases

Prospective: one week ahead

Definitions: “signal”/“alarm” = indication, “alert” = official notice

Public Health England: “signal” = variable being observed

### **Not treated here:**

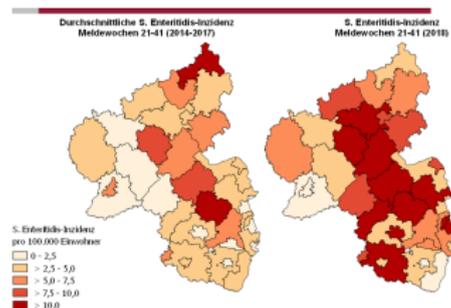
- outbreak/infection-chain reconstructions
- clustering of genetic sequences

## 2. Applications: Some Examples

## 2.1. Retrospective

### Rhineland-Palatinate Investigation Office

#### S. Enteritidis-Inzidenz Rheinland-Pfalz, Stand 12. November 2018



#### S. Enteritidis-Cluster-Analyse: SaT-Scan

Retrospective Space-Time analysis scanning for clusters with high rates using the Discrete Poisson model.  
Analysis includes purely spatial and purely temporal clusters.

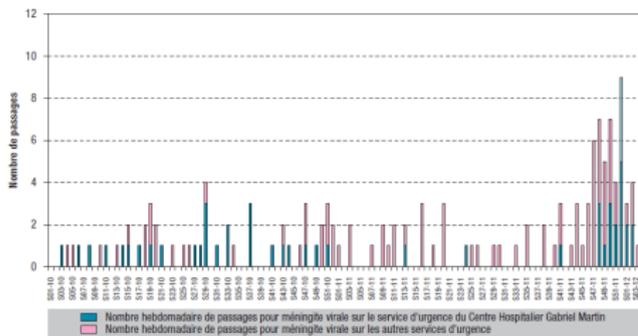
Study period.....: 2013/12/20 to 2018/11/08

1. Location IDs included: All  
Time frame.....: 2018/6/8 to 2018/11/15  
Number of cases.....: 363  
Expected cases.....: 153.14  
Observed / expected...: 2.37  
Relative risk.....: 2.72  
P-value.....: < 0.00000000000000001

2. Location IDs included: Ahrweiler  
Time frame.....: 2015/9/4 to 2015/10/1  
Number of cases.....: 35  
Expected cases.....: 0.87  
Observed / expected...: 40.16  
Relative risk.....: 40.95  
P-value.....: < 0.00000000000000001

# Santé publique France

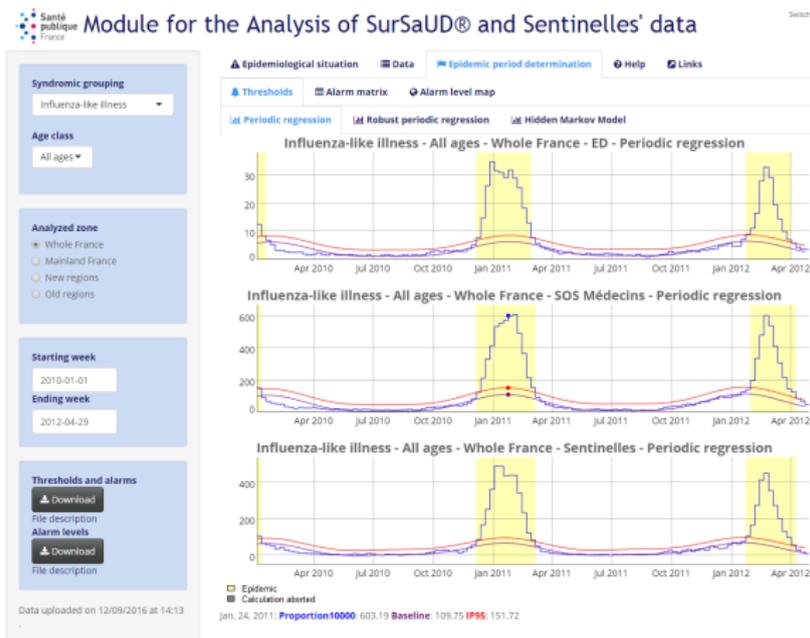
## Viral Meningitis in the Réunion



## 2.2. Prospective: Seasons

Santé publique France

MASS: among other things detection of influenza epidemic season



<https://cplat.shinyapps.io/mass/>

Pelat et al (2017) Euro Surveillance 22(32) 30593 <https://doi.org/10.2807/1560-7917.ES.2017.22.32.30593>

Influenza Dashboard: detection and severity of influenza epidemic season



## 2.3. Prospective: Clusters

Bureau of Communicable Disease

New York City Department of Health and Mental Hygiene



**Figure.** Automated output from spatiotemporal analysis on July 17, 2015, indicating a cluster (dark gray) of 8 legionellosis cases over 8 days centered in the South Bronx, New York City, New York, USA. In subsequent days, this cluster expanded in space and time into the second largest US outbreak of community-acquired legionellosis.

Greene et al (2016) *Emerging Infectious Diseases* 22(10) 1808 <https://doi.org/10.3201/eid2210.160097>

# Hellenic Centre for Disease Control and Prevention

## Epidemiological surveillance in points of care for refugees/migrants

Language

Ελληνικά

English

Syndrome

Respiratory infection with fever

Camp

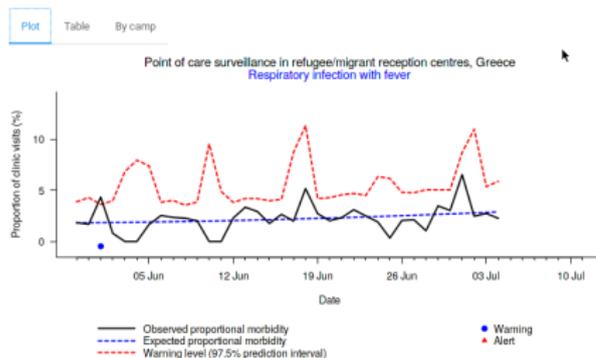
All camps

Date range

30-05-2017 to 04-07-2017



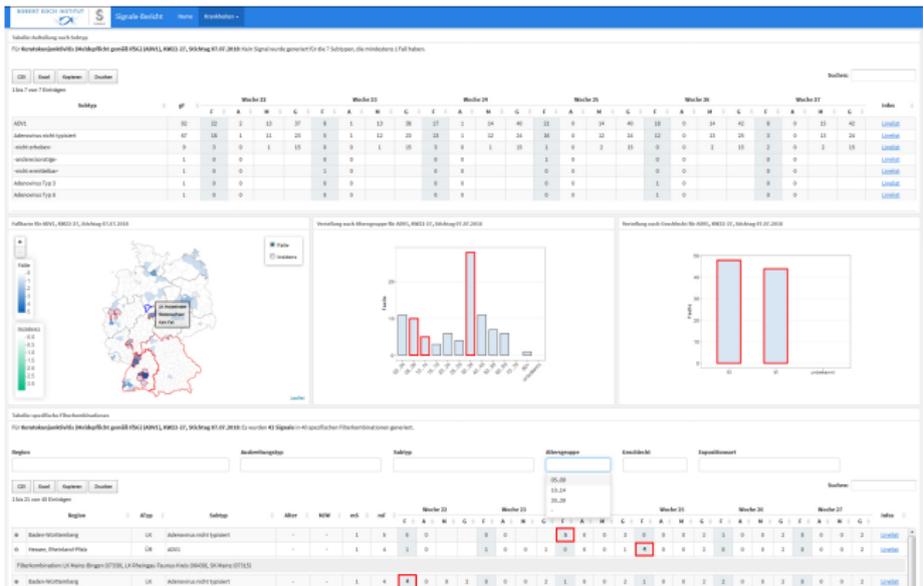
**ΚΕΕΛΠΝΟ**  
ΚΕΝΤΡΟ ΕΛΕΓΧΟΥ &  
ΠΡΟΦΥΛΑΞΗΣ ΝΟΣΗΜΑΤΩΝ (ΚΕΕΛΠΝΟ)  
ΥΠΟΥΡΓΕΙΟ ΥΓΕΙΑΣ



<https://github.com/thlytras/syndroCampsGR>

# Robert Koch Institute

## Signals Reports



Salmon et al (2016) Euro Surveillance 21(13) 30180 <https://doi.org/10.2807/1560-7917.ES.2016.21.13.30180>

## 2.4. Technological Implementations

... very diverse, but R is emerging as a standard:

- Analysis: R, in particular *surveillance* package; free software SaTScan
- Reports: R-Markdown
- Interactive web sites: R-Shiny; commercial solutions

### 3. Statistical Approaches

## 3.1. Regression on univariate time-series

### Idea

- filter cases (age, place, sex, ...) and aggregate weekly = 1 time series
- compare the **observed case count** this week with what is **expected**
- define a **threshold** above which a count is so unexpected that it warrants an alarm

### Strategy

- **threshold** = upper bound of **confidence interval**

e.g. "If less than 1% chance of seeing such a high case count, that's suspect! Let's generate a signal."

N.B. another strategy, threshold = mean +  $n$  standard deviations, is intuitive but problematic

<http://staff.math.su.se/hoehle/blog/2018/10/29/gauss.html>

## Non-parametric approach:

Upper bound  $U_t =$  maximum over the last  $n$  observations (assuming no ties), with confidence  $(n - 1)/(n + 1)$

e.g.  $n = 199$  for a one-sided 99% confidence interval

$$U_t = \max(y_{t-n}, \dots, y_{t-1})$$

Problems:

- needs many observations, especially at low counts
- no structural changes considered (trend, seasonality)

<http://staff.math.su.se/hoehle/blog/2018/10/29/gauss.html>

[https://en.wikipedia.org/wiki/Prediction\\_interval#Non-parametric\\_methods](https://en.wikipedia.org/wiki/Prediction_interval#Non-parametric_methods)

## Parametric approach:

- fit a given distribution
  - compute p-value of observing a given count under that distribution
- e.g. signal if p-value < 1%

## Choices of distribution:

- **Poisson:** natural for count data, but only one parameter: rigid / too narrow (standard deviation = mean)
- **Quasi-Poisson:** Poisson with supplementary parameter: over dispersion  $\phi = \text{variance}/\text{mean}$
- **Negative Binomial:** natural for picking samples of one in two categories (Bernoulli trials); also two parameters

## Problems:

- assumption on distribution
- doesn't account for structural changes

**Sliding window:**

Fit your distribution on the last data points

Problem:

- discards most of the available information

## Generalised linear models (GLM):

Model the dependency of distribution on given factors, here on **time**

$$y_t \sim P(\text{mean} = \mu_t, \text{variance} = \phi \times \mu_t)$$

$$\log \mu_t = \beta_0 + \beta_1 \times t + \beta_2 \cos(2\pi t/52) + \beta_3 \sin(2\pi t/52)$$

Problem:

- past outbreaks skew the expectation

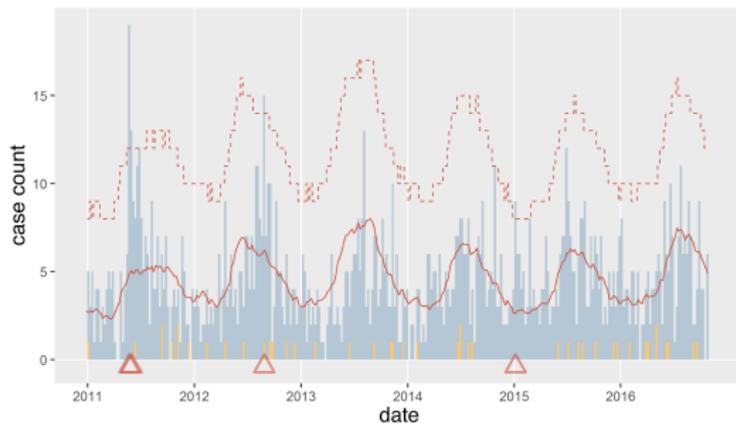
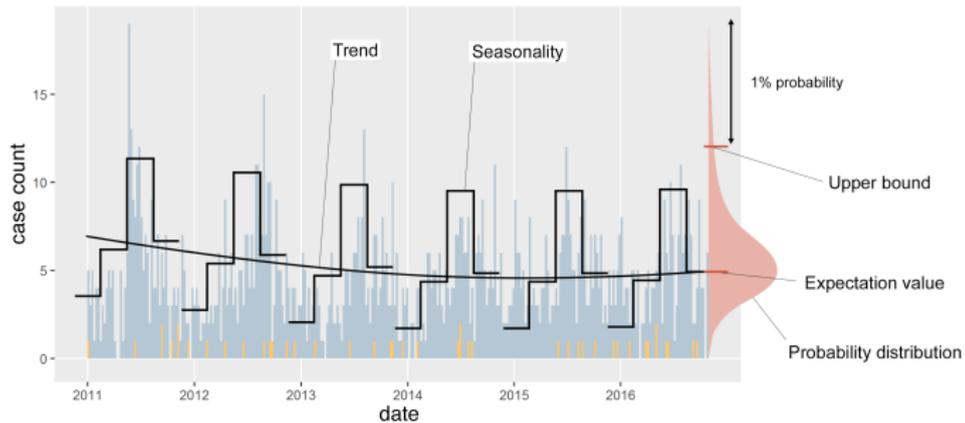
**“Farrington modified”**  $\approx$  GLM with:

- past aberrations removed (reweighting)
- ignore last weeks
- ignore low counts

... used a lot, especially in Europe

Noufaily et al (2013) *Statistics in Medicine* 32(7) 1206 <http://doi.org/10.1002/sim.5595>

Salmon et al (2016) *Journal of Statistical Software* 70(10) <http://doi.org/10.18637/jss.v070.i10>



## 3.2. Scan statistics

### Idea

- observe *regions* over *periods* of time: Does one stand out?

### Strategy (flavour: "Space-Time Permutation Scan Statistic")

- define space-time observation windows
- compute a likelihood for current observation
- identify the most unlikely cluster
- how unlikely is it?
- threshold on the p-value

Space-time **observation windows**  $\{A\}$ : "Cylinder" = set  $\{z\}$  of administrative units (zip code) with centroid in a base circles  $\times$  last  $\{d\}$  time points (days)

(Stratify for day of week)

Expected count in  $A$ :  $\mu_A = \sum_{z', d' \in A} \sum_z c_{zd'} \sum_d c_{z'd} / C$ , with  $C$  the total count

Case count  $c_A$  in  $A \sim \text{Poisson}(\mu_A)$  if  $C \gg c_A$

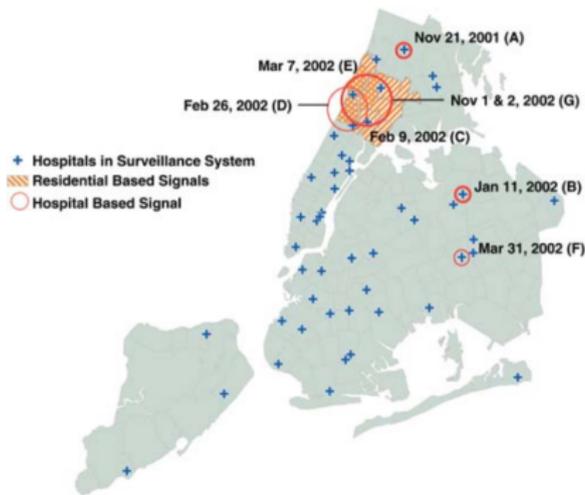
Poisson generalised **likelihood ratio**  $\text{GLR} = (c_A / \mu_A)^{c_A} \times ((C - c_A) / (C - \mu_A))^{C - c_A}$

Compute GLR for many different base circles and durations, keep the one with maximum GLR  $A^*$

Correct for **multiple testing**:

- random permutations of  $z$  and  $d$  for each case
- for each permutation  $p$ , cylinder with largest GLR is  $A_p^*$
- Monte Carlo hypothesis testing:  $p\text{-value} = R / (S + 1)$  with  $R$  the rank of  $A^*$  among  $A_p^*$  and  $S$  the number of permutations

**Threshold** on  $p$ -value to generate a signal



No modelling, but testing of many combinations: accounts for spatial and temporal structural differences

Implementations:

- SaTScan (free software made specifically for these analyses)
- R package scanstatistics

Kulldorff et al (2005) PLoS Medicine 2(3) e59 <http://doi.org/10.1371/journal.pmed.0020059>

Greene et al (2016) Emerging Infectious Diseases 22(10) 1808 <http://doi.org/10.3201/eid2210.160097>

Allévius, Höhle (2017) arXiv 1711.08960 <http://arxiv.org/abs/1711.08960>

scanstatistics vignette: <https://cran.r-project.org/web/packages/scanstatistics/vignettes/introduction.html>

### 3.3. Other approaches

Autoregressive models: ARIMA, INAR (generalise random walks)

Bayesian inference, e.g. Hidden Markov Models:  
GLM + binary hidden state = “outbreak: yes/no”

Control charts, e.g. cumulative sums (CUSUM)

GLMs with delay

Spatial GLMs, spatial CUSUMS

... and many more

+ in principle all modelling approaches could be used for signal detection (there's a lot of them)

Unkel et al (2012) J Royal Statistical Society A 175(1) 49 <http://doi.org/10.1111/j.1467-985X.2011.00714.x>

Allévius, Höhle (2017) arXiv 1711.08960 <http://arxiv.org/abs/1711.08960>

## 4. Evaluation

## 4.1. Goodness of fit

If an explicit model is used: How good does it reproduce the data?

Standard scores for goodness of fit, 2 examples:

- Normalised Squared Error Score =  $((y_t - \mu_t)/\sigma_t)^2$

$y_t$  = observed count,  $\mu_t$  = expectation value,  $\sigma_t$  = estimated standard deviation

- Bayesian Information Criterion (BIC) =  $-2 \sum_t \log(p_t(y_t)) + \log(n_{\text{eff}}) df$

$p_t(y_t)$  = probability of observing  $y_t$  at time  $t$  under the model,  $n_{\text{eff}}$  = number of data points,  $df$  = number of parameters

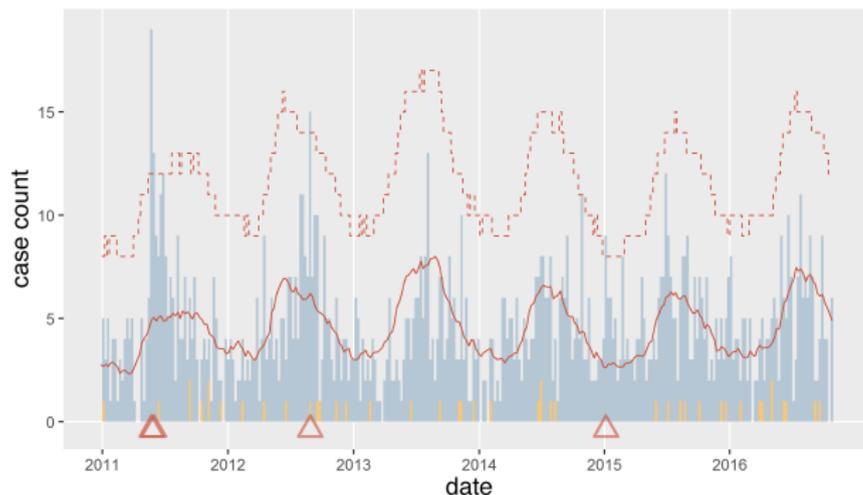
Liboschik (2016) PhD Thesis, TU Dortmund University, page 19

Salmon (2016) PhD Thesis, Ludwig-Maximilians-Universität, pages 89-90

## 4.2. Evaluation of classification

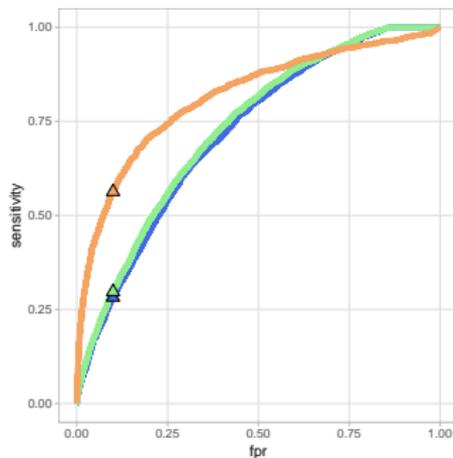
Signals vs. week/place with outbreaks

**Confusion matrix** of true positives, true negatives, false positives and false negatives



⇒ scores, e.g. **sensitivity = TP/P** and **specificity = 1 - false positive rate = TN/N**

ROC curve: sensitivity vs. false positive rate with varying threshold for campylobacter and 3 detection algorithms



But also: probability of detection, timeliness, size before detection, etc.

Synthetic data + relevant score: Enki et al (2016) PLOS ONE 11(8) e0160759 <http://doi.org/10.1371/journal.pone.0160759>

Simulated data set: Bédubourg, Le Strat (2017) PLOS ONE 12(7) e0181227 <http://doi.org/10.1371/journal.pone.0181227>

Real data: Hoffmann, Dreesman (2010) PAE-project report, Niedersächsische Landesgesundheitsamt (NLGA) / ESCAIDE poster

Real data: Ghazzi, Ullrich, in preparation

## 5. Conclusion and Outlook

## 5.1. Routine but not standard

Many **statistical approaches** exist, with two types the most common:

- model + regression on univariate time series ~ **Farrington**
- spatio-temporal clusters ~ **SaTScan**

Many different ways of **evaluating**:

- the modelling
- the detection itself

... but no clear picture yet

**Communication:**

- Complexity of results: Too much vs. too little... Is interaction/exploration (dashboards) a solution?

- Use many different algorithms?
- Signals crossing administrative boundaries?

## 5.2. Methodological priorities

Use real outbreak data to reach **conclusions** and make **recommendations**

- gold-standard real data set
- hyperparameter optimisation
- model selection/combination (stacking)

Busche, Ullrich, Ghozzi, in preparation

Use labelled data to improve detection (**supervised learning**)

Ghozi, Ullrich, in preparation

Zacher, Czogiel, in preparation

Adapt **epidemiological models** for signal detection:

- space-time dynamics, including delays (nowcasting)
- propagation models (SIR), including networks

Höhle, an der Heiden (2014) *Biometrics* 70(4) 993 <https://doi.org/10.1111/biom.12194>

Salmon et al (2015) *Biometrical Journal* 57(6) 1051 <https://doi.org/10.1002/bimj.201400159>

Manitz et al (2014) *PLoS Currents Outbreaks* 1–31 <http://currents.plos.org/outbreaks/index.html%3Fp=36515.html>

Integrate **secondary data sources**, e.g.

- medical (vaccination)
- online activity (social networks, internet searches)
- socio-environmental (holidays, economics, weather, geography)
- mass gatherings

Ma et al (2015) *Epidemiology and Infection* 143(11) 2390 <https://doi.org/10.1017/S0950268814003240>

Routine **integration of molecular** and epidemiological information

Ashton et al (2015) *bioRxiv* <https://www.biorxiv.org/content/early/2015/11/29/033225>

**Case-based** detection (clustering of individual cases)

**Epidemiologically relevant score:** space-time extension, measure of severity, case based

overall, in references cited, 31 scores... let's add a 32nd!

Continuous user **feedback:** Evaluate signals and tweak models (**reinforcement learning**)

## 5.3. Usability

Signals other than outbreaks? “**anomaly detection**”

Publish code and data. . . but also consult epidemiologists and evaluate tools: **include community**

User needs as starting point: **user-oriented development** rather than method driven

Organisation: **Data-science projects** with epidemiology + statistics + software dev

### **Inspirations:**

- data journalism
- self-tracking apps & virtual assistants